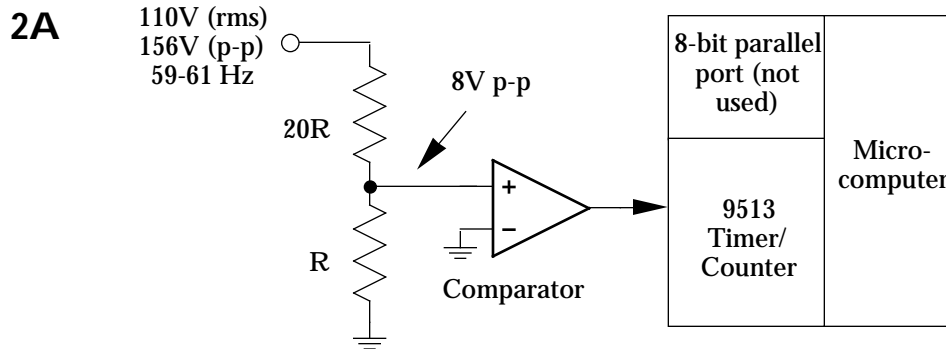


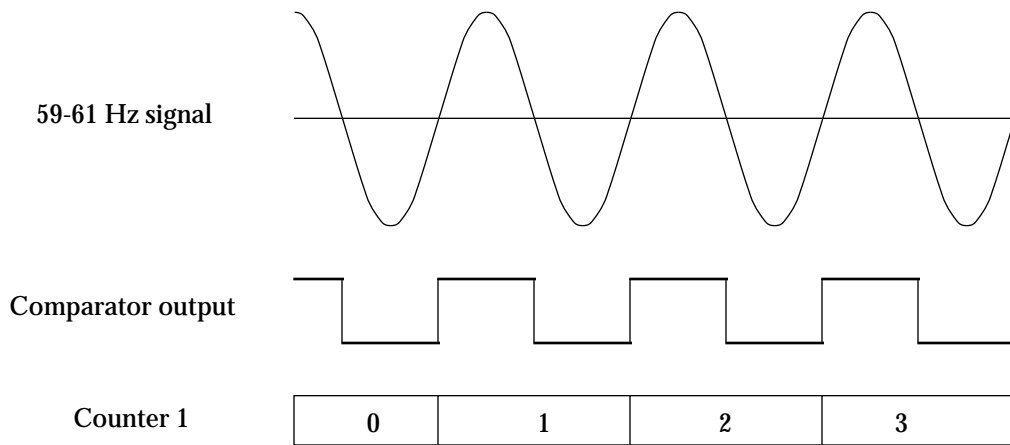
UNIVERSITY OF CALIFORNIA
 College of Engineering
 Electrical Engineering and Computer Sciences Department
 145M Microcomputer Interfacing Lab
 Final Exam Solutions May 20, 1993

- 1A** **R-2R Ladder** (of a D/A converter): Resistor network consisting only of resistors of value R and 2R that permits N switches to control a binary sequence of currents $I_i = I_0 2^i$.
- 1B** **Average Step Size** (of an A/D converter): Average difference between all neighboring transition voltages. Also, the last transition voltage $V(2^N-2, 2^N-1)$ minus the first transition voltage $V(0,1)$, divided by 2^N-2 .
- 1C** **Relative Accuracy** (of an A/D converter): Agreement between transition voltages $V(n, n+1)$ plotted as a function of n and a straight line passing through the first and last transition voltages.
- 1D** **Handshaking** (between a microcomputer and a digital circuit): Signal lines and protocol for ensuring accurate data transmission. Typical signals are “ready to send”, “ready to receive”, “data sent”, “data received”.
- 1E** **Two’s Complement Operation**: Complement each bit and add 1.
- 1F** **Tri-State Buffer**: Digital circuit with input and output lines, and a select line. When the select line is asserted, output = input. Otherwise the output is in a high-impedance state.

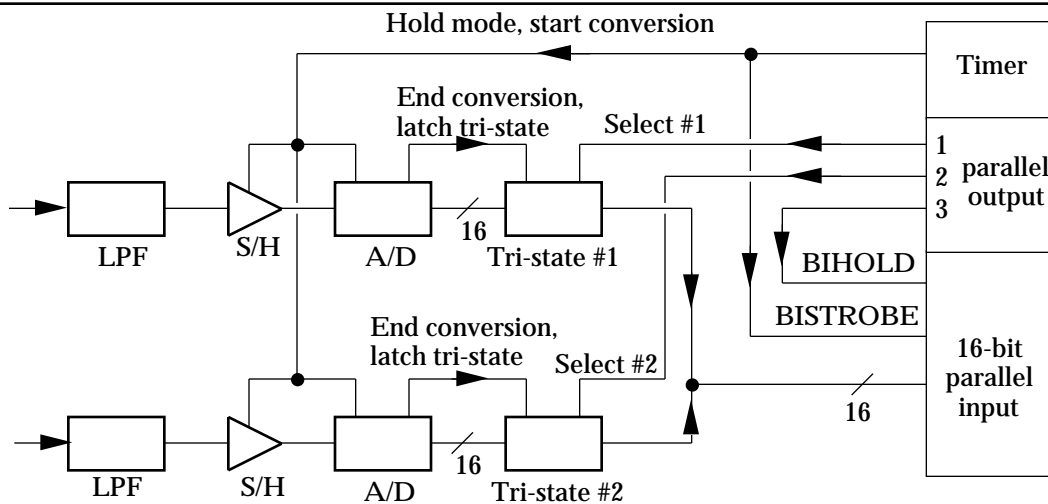


- 2B**
- 1 Set counter 1 for external input- increment on rising edge.
 - 2 Set counters 2 and 3 for cascaded upward counting at 1 MHz
 - 3 Zero and arm all three counters
 - 4 Latch and read counter 1 in a loop until it reads 1
 - 5 Latch and read counters 2 and 3, pack bytes to produce a time T1
 - 6 Latch and read counter 1 in a loop until it reads 61
 - 7 Latch and read counters 2 and 3, pack bytes to produce a time T2
 - 8 Compute power line frequency as $60 \times 10^6 / (T2 - T1)$
- [4 points off if the exact time of zero crossings not used. Counting the number of cycles in 1 sec gives only integer answers 59, 60, and 61- this is not accurate to 0.001 Hz.

2C

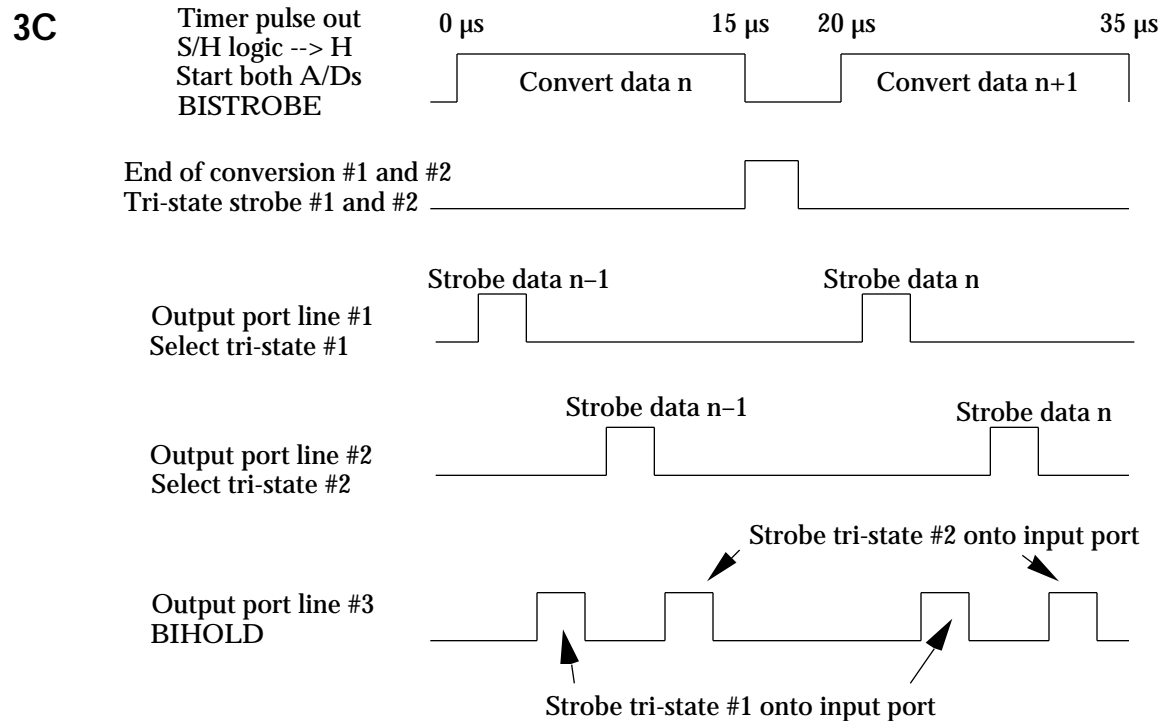


3A



3B

- 1 Initialize timer for positive external pulses, 15 μ s wide, 50 kHz rep rate
- 2 Arm timer
- 3 Timer pulse puts both S/H in hold mode, starts both A/D converters
- 4 When conversion is complete, the two A/D converters strobe their data onto their respective tri-state registers.
- 5 The next timer pulse is detected by the program, which has been looping to sense BISTROBE
- 6 Program puts out a pulse in output line #1 to select tri-state buffer #1, which asserts its data onto the 16-bit parallel input port
- 7 After a short delay to allow the data to settle, the program puts a pulse on output line #3, which is connected to BIHOLD and latches the data onto the 16-bit parallel input port
- 8 The program reads the input port
- 9 The program puts a pulse on output line #2 to select tri-state buffer #2, which asserts its data onto the 16-bit parallel input port
- 10 repeat steps 7 and 8
- 11 Repeat steps 3-4 and 5-10 which occur in parallel, so that the program is reading old data from the tri-state buffers during the 15 μ s that it takes the A/D converters to convert new data. Steps 3-4 take 15 μ s while steps 5-10 should take about 6 μ s.



- 4A** To sample 10 cycles of 20 Hz, $S = 0.5$ sec is required. $100 \text{ kHz} \times 0.5 \text{ sec} = 50\text{k}$ samples
- 4B** F_1 is the Fourier coefficient at a frequency of $1/S = 2$ Hz
- 4C** 20 Hz corresponds to $F_{10} = F_{49990}$ *
- 4D** Because the signal is periodic and exactly 10 cycles were sampled, the only possible non-zero values are $F_{10}, F_{20}, F_{30}, \dots, F_{50k-30}, F_{50k-20}, F_{50k-10}$. Note that the Butterworth filter suppresses the dc component, so $F_0 = 0$ and that both even and odd harmonics can be present. [6 points off for writing that all Fourier coefficients were non-zero; 5 points off for writing that all from F_0 to F_{10k} were non-zero; 4 points off for writing that all from F_0 to F_{10k} and all from F_{40k} to F_{50k} were non-zero; 3 points off for omitting F_{50-10n} to F_{50k}]
- 4E** At 17.67 kHz, $f/f_c = 1/\sqrt{2}$ and $G = 1/\sqrt{1+2^{-8}} = 1 - 1/512 = 0.998$.
- 4F** At 50 kHz, $f/f_c = 2$ and $G = 1/\sqrt{1+2^{16}} = 2^{-8} = 3.9 \times 10^{-3}$.
- 4G** The Fourier transform taken in Part 1 of this problem is a measurement of the relative response of the auditorium as a function of frequency. At each frequency f_m of the graphic equalizer, determine the closest Fourier amplitude $|F_n|$, where $n = f_m/2$. Then the graphic equalizer gains should be $g_m = \max(F_n)/F_n$. [5 points off for formulas but no explanation; 3 points off if no relationship shown between n and f_m]

- 5** Method 1 (batch mode):
- 1 Take the FFT of the 44 kHz compact disk values
 - 2 Rescale the frequency axis so that 44 kHz becomes 48 kHz
 - 3 Do the inverse FFT to create new digital values at 48 kHz sampling

Method 2 (continuous mode);

- 1 Play the compact disk data through a standard compact disk player, which interpolates the steps in the D/A output waveform and low-pass filters to give a smooth analog waveform
- 2 Sample this waveform at 48 kHz and digitize

[5 points off if a no interpolation or filtering used to smooth the higher harmonics caused by the abrupt edges of the 44 kHz D/A output steps. These higher frequencies can cause severe aliasing]

[15 points off if the DAT digital values are the same as the CD digital values]

145M Numerical Grades:

	5/9 x Lab	Lab Partic.	Midterm #1	Midterm #2	Final	Total
Average	478	100	84	92	162	921 (B+)
rms	23	0	12	4	28	53
Maximum	500	100	100	100	200	1000

145M Letter Grade Distribution

Letter Grade	Course Totals (1000 max)
A+	990
A	955, 958, 973
A-	935, 941, 943, 946, 946
B+	919, 921
B	868, 880, 886, 897
B-	none
C	772