

Midterm Exam #1 Solutions

Problem 1

- (a) The observed indicates the growth rate is slower than the Deal-Grove model after 2000 Å of oxide is grown. Even if we take the limit that growth rate is proportional $(\text{time})^{1/2}$, the oxide will be thicker than 4000 Å after 4 hours of oxidation. The Si surface layer must have a faster oxide rate than the bulk of the wafer.

Conjecture 1 : The processed Si wafer was oxidized first to an oxide thickness of 100 Å and then have the oxide dissolved in HF. **FALSE**

Dopant segregation can enhance oxidation rate but the small oxide growth cannot change the surface layer dopant concentration due to dopant segregation.

Conjecture 2 : The processed Si wafer has a highly doped surface layer (doping $> 10^{19}/\text{cm}^3$) which is less than 1000 Å thick. **TRUE**

The Si wafer has a highly doped surface layer ($N > 10^{19}/\text{cm}^3$) which is less than 1000 Å thick (i.e., $0.46 \times 2000 \text{ Å} \approx 1000 \text{ Å}$). The underneath substrate is lightly doped. The Si wafer has a highly doped region underneath a lightly doped surface region. Oxidation rate is higher when the doping concentration is higher than $10^{19}/\text{cm}^3$, mainly through the linear term B/A. After this layer of highly doped Si is consumed, the growth rate slows down.

Conjecture 3 : The processed Si wafer has a thin layer of poly-Si layer on top surface. **TRUE**

Initial oxidation of poly-Si is very fast. After poly-Si is all consumed, the oxidation rates slows down.

$$(b) \frac{\text{SiO}_2 \text{ volume}}{\text{Si volume}} = \frac{5 \times 10^{22}}{2.3 \times 10^{22}} = 2.17$$

Volume of sphere $\propto \text{radius}^3$ or $\frac{\text{radius of SiO}_2}{\text{radius of Si}} = (2.17)^{1/3} = 1.29$

Therefore , radius of SiO₂ sphere = 1.29 μm.

(c) LOCOS Advantages :

(i) Self-aligned channel stop ; (ii) oxide topography more planar than opening an oxide window.

LOCOS Disadvantages: The "bird's beak" region wastes device area.

Problem 2 (a)

Parameter	Electrical Channel Length L
Implant Dose ↑	↓
Substrate conc. N_B ↑	↓
Sidewall Angle θ ↑	↑
Gate material changed from poly-Si to Tungsten	↑
Implant ions changed from Phosphorus to Arsenic (same energy)	↑

- (b) Restore crystallinity of damage Si caused by ion bombardment
Position implanted dopants into substitutional sites of Si lattice so that the dopants gives "shallow" donor or acceptor energy levels [i.e. dopant activation]

- (c) Tilt the crystal by about 7 degrees with respect to beam incidence direction plus wafer rotation to avoid axial and planar channeling
Pre-amorphise the Si substrate first by Si implantation, followed by dopant implantation.

Problem 3

(a)

Profile 1 : $C_s \operatorname{erfc} [x_j / 2 \sqrt{Dt}] = C_s \operatorname{erfc} [0.7 / (2 \times 0.1)] = C_s \operatorname{erfc} [3.5] = 10^{16} / \text{cm}^3$

Therefore $C_s = 1.3 \times 10^{22} / \text{cm}^3$ [26% boron !!!]

Profile 2 : $R_s = 1 / \{ q \mu_p C_s x_j \}$ or $C_s = 1 / (q \mu_p x_j R_s) = 3 \times 10^{20} / \text{cm}^3$

The solid solubility of boron in Si is less than $10^{21} / \text{cm}^3$. Profile 1 is unrealistic. Profile 2 is a better approximation.

[Note: If you use the Irvin Curves for Profile 1 with $R_s x_j = 3.5 \text{ ohm-cm}$, the extrapolated surface concentration will also be in the $10^{22} / \text{cm}^3$ range]

(b)

During the initial stage of diffusion, the doped region is intrinsic ($n = p$) so we won't expect to see any high concentration diffusion effect.

However, Boron diffuses faster than As and the near surface region becomes highly n-doped and the deeper region becomes p-doped. Since the net carrier concentration can still be higher than n_i . We will start to observe high concentration diffusion effects in both regions for longer diffusion times.

Problem 4

(a) Let translational error be (x_t, y_t) .

The run in/out errors will contribute $+\delta x$ to A1 and $-\delta x$ to A2

The rotational errors will contribute $+\delta y$ to A1 and $-\delta y$ to A2

Therefore,

$$x_1 = x_t + \delta x$$

$$x_2 = x_t - \delta x$$

$$y_1 = y_t + \delta y$$

$$y_2 = y_t - \delta y$$

Rearranging terms,

$$\delta x = \frac{x_1 - x_2}{2} \text{ (run in/out error) } = (0.2 - 0.4) / 2 = -0.1 \text{ um [run-in error]}$$

$$\delta y = \frac{y_1 - y_2}{2} \text{ (rotational error) } = (0.2 - 0.4) / 2 = -0.1 \text{ um or } 2E-6 \text{ radians [clockwise]}$$

$$x_t = \frac{x_1 + x_2}{2} = (0.2 + 0.4) / 2 = 0.3 \text{ um}$$

$$y_t = \frac{y_1 + y_2}{2} = (0.2 + 0.4) / 2 = 0.3 \text{ um}$$

- (d) $I_m \propto \lambda / \text{NA}$. NA reduces by 2X, $I_m = 0.5 \text{ um} \times 2 = 1 \text{ um}$
 $\text{DOF} \propto \lambda / \text{NA}^2$. NA reduces by 2X, $\text{DOF} = 1 \text{ um} \times 4 = 4 \text{ um}$