University of California, Berkeley - College of Engineering

Department of Electrical Engineering and Computer Sciences

Summer 2010

Instructor: Paul Pearce

2010-07-16

After the exam, indicate on the line above where you fall in the emotion spectrum between "sad" & "smiley"...

Last Name	Answer Key	
First Name		
Student ID Number		
Login	cs61c-	
Login First Letter (please circle)	a b c d e f g h i j k	l m
Login Second Letter (please circle)	a b c d e f g h i j k	l m
	nopqrstuvwx	y z
The name of your LAB TA (please circle)	Eric Tom Noah Alex	
Name of the person to your Left		
Name of the person to your Right		
All the work is my own and I have collaborated with no one. I had no prior knowledge of the exam contents nor will I share the contents with others in CS61C who have not taken it yet. (Please sign)		

a) Instructions (Read Me!)

- Don't Panic!
- This booklet contains **12** numbered pages including the cover page and MIPS reference guide. Put all answers on these pages; don't hand in any stray pieces of paper.
- Please turn off all pagers, cell phones & beepers. Remove all hats & headphones. Sit in every other seat. Nothing may be placed in the "no fly zone" spare seat/desk between students.
- Question 0 (1 point) involves filling in the front of this page and putting your login on every sheet of paper.
- You have 180 minutes to complete this exam. The exam is closed book, no computers, PDAs, calculators. You are allowed 1 page of notes, front and back.
- A MIPS reference sheet has been provided as the last page of this handout. You should rip it off.
- There may be partial credit for incomplete answers; write as much of the solution as you can. We will deduct points if your solution is far more complicated than necessary. When we provide a blank, please fit your answer within the space provided. You have 3 hours...relax.

Question	0	1	2	3	4	5	6	Total
Minutes	1	15	20	25	15	20	25	(+59 to review) = 180
Points	1	39	20	50	20	25	35	190
Score	1	39	20	50	20	25	35	190

Part 1: CS61C trivia

True/	False: Circle the correct answer in the right-hand column.		
a)	You must use the addu instruction to add unsigned numbers.	т	F
b)	You do not need to save volatile registers if your code doesn't call any subfunctions.	т	F
c)	You do not need to save volatile registers if they won't be modified by any subfunctions.	Т	F
d)	We add a bias to floating point exponents to increase the range of values we can represent.	Т	F
e)	The instructions <i>srl</i> and <i>sra</i> behave identically on positive (2's complement) numbers.	т	F
f)	There are situations where using first-fit will cause less fragmentation than best-fit.	Т	F
g)	The size of a structure that contains only 2 ints and 1 ${\tt char}$ will be 9 bytes.	т	F

Fill in the blank: neatly write your answer in the right-hand column

h)	How many things can you represent with N bits?	2 ^N
i)	Suppose you are given N bits. How many more bits would you need if we wished to triple the number of things we wanted to represent?	2
j)	Assuming the following C code declaration:	
	<pre>char str[] = "Hello World";</pre>	12
	What will sizeof(str) return?	
k)	Assuming the following C code declaration:	
	<pre>char *str = "Hello World";</pre>	4
	What will sizeof(str) return?	
I)	Assuming the following C code declaration:	
	<pre>char str[] = "Hello\OWorld";</pre>	5
	What will strlen(str) return?	

(Continued on next page)

Part 2: Number representation

So far we have studied 4 different methods for representing integers using 32-bits. These methods can be generalized to any number of bits.

Fill in the bit patterns for the following 4-bit numbers. If there are multiple bit patterns for a given number, write them all. If no bit pattern exists to represent the given number, write "N/A" in the box (don't leave it blank!). The first one has been done for you already.

	Unsigned	Sign & Magnitude	One's Complement	Two's Complement
0	0000	0000, 1000	0000, 1111	0000
-1	N/A	1001	1110	1111
15	1111	N/A	N/A	N/A

Now fill in the **decimal** (base 10) value for the following 4-bit numbers. The first one has been done for you already.

	Unsigned	Sign & Magnitude	One's Complement	Two's Complement
Number with bit pattern 0b1100	12	-4	-3	-4
Number closest to +∞	15	7	7	7
Number closest to -∞	0	-7	-7	-8

Part 3: Compiling/Linking/Loading

Fill in the blanks to specify during what stage each action occurs. Use abbreviations **CO**=Compiling, AS=Assembly, LI=Linking, LO=Loading.

- __LI___ Jump labels are resolved
- AS Short branch labels are resolved
- _LO__ The operating system handles this stage
- ___CO__ Code is translated from C->MAL
- __AS__ Code is translated from MAL->TAL

-2

128

Consider the following 10-bit floating-point format. It contains the same fields (sign, exponent, significand) and follows the same general rules as the 32-bit IEEE standard (denorms, biased exponent, non-numeric values, etc.). It simply allocates its bits differently. Please answer the following questions, and show all your work in the space provided. We went ahead and got you started.

	S EEE MMMMMM	
Number represented by 0x00:		0
# Bits in the Mantissa:		6
a) Exponent Bias:		3

b) Implicit exponent for denormalized #'s:

c) # of Numbers between $(2 \le n < 8)$:

d) Largest number x such that x + .5 = .5:

 $2^{-8} = 1/256$

(Continued on next page)

S EEE MMMMMM

(Repeated so you don't need to flip back and forth)

e) Difference between the two smallest positive values:

f) Difference between the two largest non- positive values: $2^{-3} = 1/8$

g) Number of NaN's:

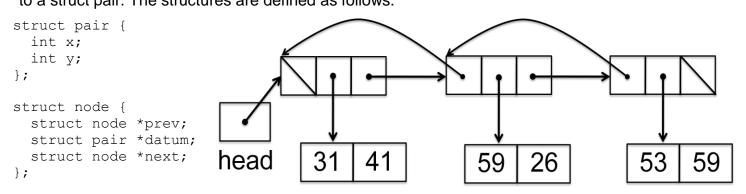
126

 b) Using the above format, what is the bit pattern for the floating-point number closest to 14.4?
 <u>0b0110110011</u>

 $2^{-8} = 1/256$

100

We've created a simple doubly linked list out of nodes as defined below. Each node contains a pointer to a struct pair. The structures are defined as follows.



The first node has its prev field set to NULL. The last node has its next field set to NULL.

Question 3: Don't lose your head

a) Fill in the code below to implement insert_before. The function inserts a node in the linked list before given_node and sets up the node's datum. Should new_node be the new head of the linked list, adjust head accordingly (a handle to the head is passed as head_h). The function returns a pointer to the new node, or NULL if the operation cannot be completed. Assume valid non-NULL parameters.

```
struct node *insert_before(struct node *given_node, struct pair p, struct node **head_h) {
    // Allocate space
    struct node *new_node = (struct node*) malloc (sizeof(struct node));
    if (new_node == NULL) // Check for errors
        return NULL;
    // Setup datum
    new_node->datum = (struct pair*) malloc (sizeof(struct pair));
    if(new_node->datum == NULL)
    {
        free(new_node)
        return NULL;
    }
    *(new_node->datum) = pair;
    }
}
```

```
new_node->next = given_node->next;
new_node->prev = given_node->prev;
if (given_node == *head_h)
```

```
*head h = new node;
```

else

given_node->prev->next = new_node;

```
given_node->next->prev = new_node;
```

return new_node;

b) The following free_list function takes a pointer to head (recall head points to the first element in the doubly linked list, and head_h is a handle to the head) and frees all memory that was allocated for the list. Once the list is freed, free_list must set head to NULL. This function is **BUGGY.** Assume the memory for both the nodes and the datums was allocated from the heap. You should also assume free_list is correctly passed the address of head and all datums are non-NULL.

```
void free_list(struct node **head_h) {
   struct node *curr = head_h;
   while (curr != NULL) {
      free(curr);
      curr = curr->next;
   }
}
1) *head_h
2) Free then deref
3) No datum free
```

4) No head update

Describe all the bugs in the given free_list function in the space below. Number each bug.

c) Implement a correct iterative version of free_list which corrects the bugs found in part b. Please re-read the function requirements from part b. You may not need all the space provided.

```
void free_list(struct node **head_h) {
   struct node *curr = *head_h;
   while (curr != NULL) {
     free(curr->datum);
     struct node *tmp = curr->next;
     free(curr);
     curr = tmp;
   }
   *head_h = NULL;
```

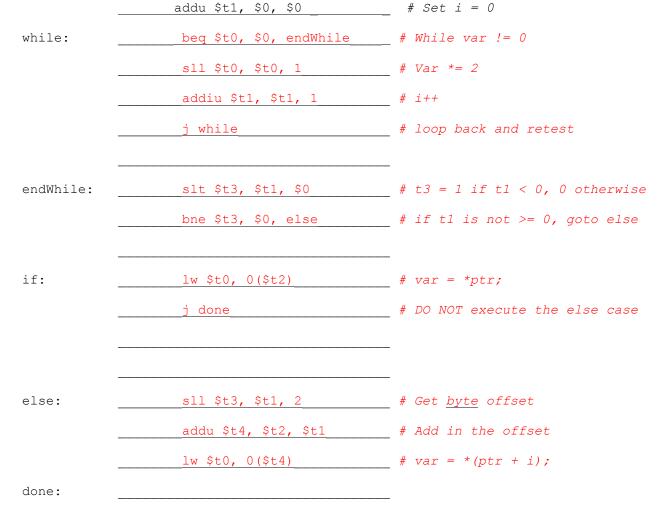
}

While trying to compile a program for a MIPS processor, the compiler crashes. Before crashing, it compiled everything but the following lines of code.

```
// var and i are signed integers
// ptr is a pointer to a sufficiently large array of integers
i = 0;
while (var != 0) {
     var = var * 2;
     i++;
}
if (i >= 0) {
     var = *ptr;
}
else {
     var = * (ptr+i);
}
```

Finish the job of the **compiler** by translating the preceding C to MIPS code.

var is stored in \$t0, i is stored in \$t1, and the pointer ptr is in \$t2. Ignore register conventions for this problem. We have given you the first instruction and some labels to help guide you. You must comment your code! You may not need all the given space. Do not use mult!



Question 5: Mad about MIPS (25 pts, 20 min)

The factorial of a number n is defined as $n^{(n-1)*(n-2)*...*1}$. Factorials can be computed with the recursive definition

f(n) = n * f(n-1), where the base case is f(1) = 1

Implement the factorial function below recursively in TAL MIPS. You may assume that the argument is an unsigned integer > 0, and the result can fit in 32 bits so you do not have to handle overflow.

Assume you have a correctly implemented MIPS function mult which returns (in v0) the value a0*a1, where a0 and a1 are treated as unsigned integers. Follow the hints given by the comments. We have given you some code and some labels to help guide you. You must comment your code! You may not need all the given space.

factorial:	addiu \$sp, \$sp, -8	# Setup
	sw \$ra, 0(\$sp)	<pre># save the return address, since this</pre>
	sw \$a0, 4(\$sp)	<pre>function calls a subfunction # we need the original argument after</pre>
	addiu \$v0, \$0, 1	we call factorial recursively # set return value for base case (note we also use this register
	bne \$a0, \$v0, rec	for the base case comparison) # Handle base case (if n != 1 then do recursion)
	j done	<pre># else: this is base case -> return 1</pre>
rec:		# Recursive case
	addiu \$a0, \$a0, -1	<pre># compute argument for recursive call</pre>
	jal factorial	# Call factorial
	lw \$a0, 4(\$sp)	# get the original argument back. (NOTE WE CANNOT ASSUME \$A0 WILL STILL BE VALID, EVEN THOUGH WE WROTE THIS FUNCTION!)
	add \$a1, \$v0, \$0	<pre># set up second argument to multiply: the result of our recursive call</pre>
	jal mult	<pre># Call mult (compute n * fact(n-1))</pre>
		<i># the result we want to return is in \$v0 already</i>
done:	lw \$ra, 0(\$sp)	# restore \$ra
	addiu \$sp, \$sp, 8	# restore stack
	jr \$ra	# return

A) You are the assembler. Convert the following MAL MIPS code to TAL. Assume the labels are located at the addresses specified, and adding additional instructions does not affect these addresses. If a MAL instruction is already TAL, simply rewrite it in the TAL column.

<u>Address</u>	MAL		TAL
0x10000000	entry: subiu \$sp, \$sp, 4		addiu \$sp, \$sp, -4
0x10000004	lbu \$t0, 6(\$sp)		lbu \$t0, 6(\$sp)
0x10000008	move \$v0, \$a0	→	add \$v0,\$0, \$a0
0x1000000C	ble \$v0, \$0, entry		blez \$v0 entry
0x10000010	j label		j label
0x10000014	sltiu \$t0, \$t1, 0x8000		ori \$at, \$0, 0x8000 slt \$t0, \$t1, \$at #because sltiu sign extends #0x8000 cannot be represented in #16 bits
···· ···	<pre># Some TAL instructions # which you can ignore</pre>		There is nothing to translate to TAL here!
0x2000000C	label: # Some instruction		

(This space left intentionally blank. Feel free to doodle.)

Problem continued on next page.

B) Assemble the following TAL code to its machine language representation. You must show all your work (below) to receive credit.

0x78000000	start:	addu	\$t0, \$t9, \$s1	=	0x03314012
0x78000004	loop:	lw	\$v0, -8(\$sp)	=	0x 8FA2FFF8
0x78000008		beq	\$v0, \$0, done	=	0x 10400004
0x7800000C		nop		=	0x0000000
0x78000010		nop		=	0x0000000
0x78000014		nop		=	0x0000000
0x78000018		nop		=	0x0000000
0x7800001C	done:	j	loop	=	0x 0A000001

Show your work here.

addu \$t0, \$t9, \$s1

lw \$v0, -8(\$sp)

beq \$v0, \$0, done

j loop