

UNIVERSITY OF CALIFORNIA
 Department of Electrical Engineering
 and Computer Sciences
 Computer Science Division

Prof. R. Fateman

Fall, 2001

Solutions: CS 164 Midterm 1: September 26, 2001, 9:00AM

1. [20 points] Here is a table describing an automaton with 2 states. The start state is S.
 - a. Draw a diagram of the automaton in the space to the right of the table. I'm not good at drawing in tex. The expected solution has two states, S and T. From S to itself is an arc labeled 0,1. From S to T is an arc labeled 0. From T to T is an arc labeled 0. T is a final state, S has an incoming arc as the initial state.
 - b. Write down a simple regular expression that describes the same language that is recognized by this automaton.
 $(0 \mid 1)^*0$ is the simplest solution.
 - c. In the space below, draw a DFA that accepts the same language. Use as few states as possible.
 Two states, the same as above except that instead of an arc from S to S labeled 0,1 there is an arc from T to S labeled 1.
 - d. Write a context free grammar G_0 that describes the same language.
 Here's one.

X \rightarrow T0
 T \rightarrow 0T | 1T | epsilon

2. [5 points] Write down a precise definition of $L(G)$ the language generated by any context free grammar G .

We expect something like

$L(G) = \{a_1 a_2 \dots a_n \mid a_i \text{ is in terminals}(G), S \Rightarrow^* a_1 a_2 \dots a_n, S \text{ is start}(G)\}$
 Or in English.. a set of all strings of terminal symbols derived from the start symbol S using rules of G.

State	Transitions	Final State?
	0 1	
S	S,T S	
T	T	yes

3. [6 points] Suppose grammar G_1 has only one rule rewriting X , namely $X \rightarrow YZW$

a. If we know that $a \in \text{First}(Y)$, what can you conclude about $\text{First}(X)$?

A is in $\text{First}(x)$

b. Under what condition is $\text{First}(W) \subset \text{First}(X)$?

if $\epsilon \in \text{First}(Y)$ and $\epsilon \in \text{First}(Z)$.

c. Under what condition is $\epsilon \in \text{First}(X)$?

The condition above with $\epsilon \in \text{First}(W)$ also.

4. [5 points] Here are the rules for a grammar G_2 with start symbol S

$$S \rightarrow aS$$

$$S \rightarrow b$$

Complete writing a recursive descent parsing program `parse` that returns `yes`, given a lisp list that constitutes a sentence in $L(G_2)$. We give you two useful parts already.

```
(defun parse (tokens)(s)(if (empty tokens) "yes"))

(defun eat(h) (cond((equal h (car tokens))(pop tokens))
                    (t (error "stuck at ~s" tokens))))
;; sample test: (parse '(a a b))

;; answer
(defun s()(case (car tokens)
                (a (eat 'a)(s))
                (b (eat 'b) t)))
```

5. [10 points] What is the result of running your Tiger lexical analysis program `fsl` on a file containing this material:

```
if then loop else23 >>>= 45
"hello /* world"  iconst */
```

Run it to see the answer. It starts with ((if if (1 . 2)) (then then ...) ...)

6. [12 points]

On the next page is an LL(1) Parsing Table for a grammar G_3 with start symbol E .

a. What are the rules of the grammar G_3 ?

```
E -> TX
T -> iY | oEc
X-> pE | epsilon
Y-> mT | epsilon
\begin{verbatim}
```

	i	m	p	o	c	\$
E	TX			TX		
X			pE		ϵ	ϵ
T	iY			oEc		
Y		mT	ϵ		ϵ	ϵ

b. What are the terminal symbols of G3?

i o c m p and maybe \$

c. Trace each stack configuration in the parsing of the input string {\tt o i c\\$}. We have given you the first stack contents:

\begin{verbatim}

step stack input

1. E \$ o i c \$
2. TX\$
3. oEcX\$
4. EcX\$
5. TXcX\$
6. iYXcX\$
7. YXcX\$
8. XcX\$
9. cX\$
10. X\$
11. \$

Note that this grammar, with the substitutions of m=*, p=+, o=(and c=) should be familiar to you.

7. [2 points]

a. Describe any unusual piece of clothing worn on Monday Sept. 24, by Prof. Fateman for the first 8 minutes of CS164 lecture.

You had to be there to see it.

b. How many CS164 lectures were delivered without the use of the video projector?

Ditto.